

## 5.2 Lists

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Lists are also supported in Prolog.

Up to now, we had to represent lists by suitable terms:  
 $nil \in \Sigma_0$        $cons \in \Sigma_2$

$$len(nil, 0).$$

$$len(cons(X, X_s), Y) :- len(X_s, Y1), Y is Y1 + 1.$$

$\uparrow$   
stands for the list  
with first element  $X$   
and  $X_s$  is the rest  
of the list

$$?- len(cons(3, cons(7, nil)), Y).$$

$$Y = 2$$

Instead of  $nil$  and  $cons$ , Prolog has pre-defined lists built with  
 $[] \in \Sigma_0$ ,  $. \in \Sigma_2$

$$len([], 0).$$

$$len.(X, X_s), Y) :- len(X_s, Y1), Y is Y1 + 1.$$

Prolog offers the following alternative ways to write lists built with  $[]$  and  $.$

$$= .(t_1, t_2) = [t_1 | t_2]$$

$$= .(t_1, []) = [t_1]$$

$$= .(t_1, .(t_2, .(t_3, t))) = [t_1, t_2, t_3 | t]$$

$$\begin{aligned}
 &= \cdot(t_1, \cdot(t_2, \cdot(t_3, [3]))) = [t_1, t_2, t_3] \\
 &= [t_1, t_2 \mid [t_3 \mid [3]]] = \dots
 \end{aligned}$$

The shorthand notations are considered to be syntactically identical to the corresponding term built with  $[ ]$  and  $\cdot$ .

$$?- [1, 2] == [1 \mid [2]].$$

true

$$?- \cdot(1, X) = [1, 2, 3].$$

$$X = [2, 3]$$

$$?- [X, [1 \mid X]] = [[2], Y].$$

$$X = [2], Y = [1, 2]$$

Ex: List Concatenation (append)

$$\text{app}([ ], Ys, Ys).$$

$$\text{app}([X \mid Xs], Ys, [X \mid Zs]) :- \text{app}(Xs, Ys, Zs).$$

$$?- \text{app}([1, 2], [3, 4, 5], Xs).$$

$$Xs = [1, 2, 3, 4, 5]$$

?-app( $X_s, Y_s, [1, 2, 3]$ ).

$X_s = [], Y_s = [1, 2, 3]$  ;

$X_s = [1], Y_s = [2, 3]$  ; ...